Paper / Subject Code: 49301 / APPLIED MATHEMATICS-III

Time: 3 Hours Marks: 80 N.B.:1) Question no.1 is compulsory. 2) Attempt any three questions from Q.2to Q.6. 3) Figures to the right indicate full marks. [5] Q1. a) Find the Laplace transform of $e^{-t}t \cosh 2t$. Find the half-range cosine series for $f(x) = \begin{cases} 1, & 0 < x < \frac{a}{2} \\ -1, & \frac{a}{2} < x < a \end{cases}$ b) [5] Find $\nabla \left(\bar{a}. \nabla \frac{1}{r} \right)$ where \bar{a} is a constant vector. [5] .[5] Show that the function $f(z) = z^3$ is analytic and find f'(z) in terms of z. Find the inverse Z-transform of $F(z) = \frac{3z^2 - 18z + 26}{(z-2)(z-3)(z-4)}$, 3 < z < 4. [6] Q2. a) Find the analytic function whose imaginary part is $\tan^{-1} \left(\frac{y}{x}\right)$ [6] b) Obtain Fourier series for the function $f(x) = \begin{cases} \frac{\pi}{2} + x, & -\pi < x < 0 \\ \frac{\pi}{2} - x, & 0 < x < \pi \end{cases}$ [8] c) Hence ,deduce that $\frac{\pi^2}{8} = \frac{1}{1^2} + \frac{1}{3^2} + \frac{1}{5^2} + \cdots$ and $\frac{\pi^4}{96} = \frac{1}{1^4} + \frac{1}{3^4} + \frac{1}{5^4} + \cdots$ Find $L^{-1}\left[\frac{s^2}{(s^2+1)(s^2+4)}\right]$ using convolution theorem. [6] Show that the set of functions $\phi_n(x) = \sin\left(\frac{n\pi x}{l}\right)$, n = 1, 2, 3 ... is orthogonal **[6]** in [0, *l*]. [8] c) Using Green's theorem evaluate $\oint_C (e^{x^2} - xy)dx - (y^2 - ax)dy$ where C is the circle $x^2 + y^2 = a^2$. Q4. a) Find Laplace transform of $f(t) = \begin{cases} \frac{t}{a}, & o < t \le a \\ \frac{(2a-t)}{a}, & a < t < 2a \end{cases}$ and **[6]** f(t) = f(t + 2a).b) Prove that a vector field \overline{f} is irrotational and hence find its scalar potential **[6]** $\bar{f} = (y \sin z - \sin x) i + (x \sin z + 2yz)j + (xy \cos z + y^2)k$. Obtain the Fourier expansion of $f(x) = \left(\frac{\pi - x}{2}\right)^2$ in the interval [8] $0 \le x \le 2\pi$ and $f(x + 2\pi) = f(x)$. Also deduce that $\frac{\pi^2}{8} = \frac{1}{1^2} + \frac{1}{3^2} + \frac{1}{5^2} + \cdots$ **Q5.a)** Use Gauss's Divergence Theorem to evaluate $\iint_S \overline{N} \cdot \overline{F} ds$ where $\overline{F} = 4xi + 1$ **[6]** 3yj - 2zk and S is the surface bounded by x=0, y=0, z=0 and 2x+2y+z=4. **b)** Find the Z-transform of $f(k) = ke^{-ak}$, $k \ge 0$. **[6]** c) i) Find $L^{-1} \left[\frac{s+2}{s^2(s+3)} \right]$. [8] ii) Find $L^{-1} \left[\log \left(\frac{s+a}{s+b} \right) \right]$ Q6.a) Solve using Laplace transform **[6]** $(D^2 + 3D + 2)y = 2(t^2 + t + 1)$, with y(0) = 2 and y'(0) = 0. b) Find the bilinear transformation which maps the points Z=1, i, -1 onto the points **[6]** W=i, 0, -iFind Fourier sine integral of $f(x) = \begin{cases} x & 0 < x < 1 \\ 2 - x & 1 < x < 2 \\ 0 & x > 2 \end{cases}$ [8] c)

Q. P. Code: 35354

	(3 Hours) [Total Mark	s : 80
N.B.	 Question ONE is Compulsory. Solve any THREE out of remaining. Draw neat and clean Diagrams. Assume suitable data if required 	
Q.1.	Attempt the following a) Explain the construction of n-channel JFET b) List the ideal Characteristics of Op-amp c) What is modulation in communication? What is the need for modulation? d) Compare TDM and FDM	5 5 5 5
Q.2.	 A. Explain Barkhausen Criteria for Oscillation. Calculate the frequency of oscillations of Colpitt's oscillator with C₁ =C₂=500 pF and L=1mH B. Derive the equations for Zi,Zo,Av for common source configuration using voltage divider network 	10 10
Q.3.	A. Explain how op-amp can be used as averaging amplifier in inverting configuration B. Explain generation of SSB using phase shift method.	10 10
Q.4.	A. Explain Superheterodyne reciever in detail and show waveforms at each stage B. State and proof Sampling theorem for Low pass Signal.	10 10
Q.5.	A. Discuss Delta Modulation and Adaptive Delta Modulation B. Write short note on TDM-PCM System	10 10
Q.6 .	a) PLL b) On-amp as Comparator	10 10

Paper / Subject Code: 49303 / DATA STRUCTURES

	Duration: 3 hrs	Total Marks: 80
N.B:	 (1) Question No. 1 is Compulsory (2) Attempt any three questions of the remaining five (3) Figures to the right indicate full marks (4) Make suitable assumptions wherever necessary was a suitable assumption of the remaining five 	
1.	(a) What is a data structure? Explain with examples.(b) What are the advantages of using dynamic memorallocation?(c) Describe Multiway Search Tree with an example.	(05) ry allocation over static memory (05) (05)
	(d) Write a function in C to implement Shell Sort.	
2.	(a) Discuss file I/O operations in C programming lange (b) Explain sparse matrix as application of linked list w	
3.	(a) How can we use the QUEUE data structure for sim (b)Write a function to implement Radix Sort. Sort the 25, 10, 68, 19, 75, 43, 22, 31, 11, 59.	following numbers using Radix Sort:
4.	 (a) Write a C program to implement a Circular Linked operations: (i) Inserting element in the beginning (ii) Inserting element in the end (iii) Inserting element after an element (iv) Deleting a particular element (v) Displaying the list (b) Apply Huffman Coding for the word "MALAYALAN symbol. 	(12)
5.	(a) Explain any one application of stack with an exam (b)Write a program in C to delete a node from a Bina consider all the possible cases.	
6	 (a) Write a program in C to implement the BFS traver example. (b) Hash the following in a table of size 11. Use any to 23, 55, 10, 71, 67, 32, 100, 18, 10, 90, 44. 	(10)

Page **1** of **1**

Paper / Subject Code: 49304 / DIGITAL LOGIC DESIGN AND ANALYSIS

Time: 3 Hours	Marks: 80
N.B. (1) Question No. 1 is compulsory	
(2)Assume suitable data if necessary	
(3)Attempt any three questions from remaining question	
1	
(a) Convert (47.3) ₇ to BCD, Excess-3 and gray code.	200 6 0 0 0 0 0 0 (3) 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0
(b) Perform $(2F9)_H - (1AD)_H$ without converting to any ot	her base. (3)
(c) Subtract $(64)_{10}$ – $(31)_{10}$ using 2's complement.	7
(d) Explain race around condition.	
(e) Prove OR-AND configuration is equivalent to NOR-NO	OR configuration. (4)
(f) Obtain hamming code for data 1101	(2)
2 (a) Simplify following function using Quine McCluskey methors: using basic gates.	od and realize circuit (10)
$F(A,B,C,D) = \sum m(0,1,3,5,7,9,11,15) + d(2,14)$	
(b) Design 1-bit magnitude comparator.	(10)
	12 2 2 6 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7
3 (a) Compare different logic families with respect to fan in, fa	in out, speed, (5)
propogation delay and power dissipation.	
(b) Simplify $Y = \overline{A} \overline{B} \overline{C} + A \overline{B} \overline{C} + A \overline{B} C$	(5)
(c) Implement the following using only one 8:1 Mux and few	gates. (10)
$F(A,B,C,D) = \sum_{i=1}^{n} m(0,1,5,7,9,10,15)$	844661
4 (a) Convert D flip-flop to JK flip-flop and JK flip-flop to D flip-	flop. (10)
(b) Design a full adder using only NAND gates.	(10)
5 (a) Design mod -6 asynchronous UP counter.	(10)
(b) Write short note on VHDL.	(10)
Tay to the short note on the Er	(10)
6 (a) Explain Astable and Bistable multivibrators.	(10)
(b) Explain 4-bit bidirectional shift register.	(10)
5 5 7 6 4 5 5 4 4 6 6 6 6 6 6 6 6 6 6 6 6 6 6	

Q.P. Code: 24628

(3 hours)

Total Marks: 80

5

N.B.

- 1. Question No 1 is compulsory
- 2. Solve any three question out of remaining five questions
- 3. Assumption made should be clearly stated
- 4. Figure to the right indicates full marks
- 1 (a) If function f is an isomorphism from semigroup (S, *) to (T, *'), then prove that f^{-1} is an isomorphism from (T, *') to (S, *)
 - (b) Find the generating function for the following sequence
 - i) 1, 2, 3, 4, 5,
 - ii) 0,0,0,3,3,3,3,
 - (c) Find the truth table of $(p \Rightarrow q) \land ((q \Rightarrow r) \Rightarrow p)$
 - (d) For $x, y \in Z$, xRy if and only if 2x + 5y is divisible by 7. Is R an equivalence relation?
- 2. (a) The college catering service must decide if the mix of food that is supplied for receptions is appropriate. Of 100 people questioned, 37 say they eat fruits, 33 say they eat vegetables, 9 say they eat cheese and fruits, 12 eat cheese and vegetables, 10 eat fruits and vegetables, 12 eat only cheese, and 3 report they eat all three offerings. How many people surveyed eat cheese? How many do not eat any of the offerings?
 - (b) Prove by laws of logic (do not use truth table) that the following statement is a tautology $((p \Rightarrow q) \land (q \Rightarrow r)) \Rightarrow (p \Rightarrow r)$
 - (c) Let $S = \{1, 2, 3, 4, 5\}$ and $A = S \times S$. Define the following relation R on A(a, b) R (c, d) if and only if ad = bc. Show that R is an equivalence relation and compute A/R.
- 3. (a) Show that the set $G = \{f_1, f_2, f_3, f_4, f_5, f_6\}$ where the functions are defined by $f_1(x) = x \qquad f_2(x) = 1 x \qquad f_3(x) = \frac{x}{x 1} \qquad f_4(x) = \frac{1}{x}$ $f_5(x) = \frac{1}{1 x} \qquad \text{and} \qquad f_6(x) = 1 \frac{1}{x}$

is a group under composition of two functions. Frame the multiplication table.

- (b) Solve $a_n 7a_{n-2} + 6a_{n-3} = 0$, where $a_0 = 8$, $a_1 = 6$ and $a_2 = 22$
- (c) Consider the lattices $L1 = \{1, 2, 4\}$, $L2 = \{1, 3, 9\}$ under divisibility. Draw the lattice $L1 \times L2$.

Determine the group code $e_H: B^2 \to B^5$

Q.P. Code: 24628

(b) Prove the following using Mathematical induction $6^{n+2} + 7^{2n+1}$ is divisible by 43

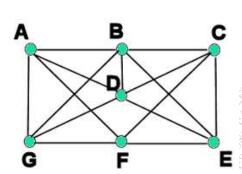
- 6

(c) If 11 numbers are chosen from a set $A = \{1, 2, 3, 4, \dots, 20\}$, then one of them is multiple of the other.

6

5 (a) Determine the Eulerian and Hamiltonian path/circuit, if any, in the following graphs.

8



 $\begin{array}{c} \mathbf{A} \\ \mathbf{B} \\ \mathbf{C} \end{array} \begin{array}{c} \mathbf{D} \\ \mathbf{E} \\ \mathbf{F} \end{array}$

(ii) D_{105}

(b) Draw the Hasse diagram of the following poset (i) D_{72}

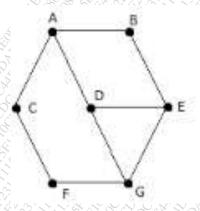
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(c) Let (G,*) is an Abelian group, then for all $a,b \in G$ show that $(a*b)^n = a^n * b^n$ (use mathematical induction)

6

6. (a) Determine whether following graphs are isomorphic

8



4 4 7

(b) Solve the recurrence relation : $a_k-3a_{k-1}=2$ with initial conditions $a_0=1$ using generating function

6

(c) A connected planar graph has g vertices having degree 2,2,2, 3,3,3, 4,4 & 5. How many edges are there?

6

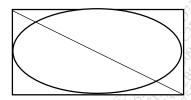
Q. P. Code: 26233

		(3 Hours) Total Marks:	80
N.B	1) (Question no. 1 is compulsory.	
	2) /	Attempt any three from remaining questions.	
Q. 1	a	Explain any five features of JAVA language	[5]
	b	Differentiate between abstract class and interface	[5]
	c	Write a program to find the largest of three integers accepted from command	[5]
		line	
	d	Explain various access specifiers in JAVA.	[5]
Q. 2	a	Explain different types of relationships among entities.	[10]
		Define the relationships among the objects of given sentences:	
		1) Employee works on project.	
		2) Customer places order.	
		3) WebOrder, TelephoneOrder is a kind of order.	
	b	What is the advantage of clause "finally"	[10]
		List any 2 exceptions defined in Java. Explain use of try, catch and use of	
	multiple catch block.		
Q. 3	A	Create class Student (roll number, name).	[10]
	Ź	Class Test (mark1, mark2) inherit student class.	
	8 S	Create interface Sport with data member as sports_mark and method	
		set_sportMark().	
200		Create class Result which extends Test and implements Sport and has a	
		method named calculate which finds total as	
		(total=marks1+marks2+sports_mark) and method which display all the	
		details.	
		Create an object of Result class and show result.	
	b	What role does "interface" play in multiple inheritance. Explain with example.	[10]
		Demonstrate use of interface to achieve polymorphism with example.	

Q. P. Code: 26233

- Q. 4 a Write a JAVA program to count the number of upper case, lower case, blank [10] spaces and digits in a string.

 - c Write an applet program to display



- Q. 5 a What is applet? Draw and explain lifecycle of an applet. [10]
 - **b** Write a program to check if the year entered is leap or not. [5]
 - c Compare Method Overloading and Method Overriding [5]
- Q.6 a Explain Vectors and its operations (any four) with suitable example / [10] program.
 - **b** Explain System.arraycopy() method with example. [5]
 - c Write a program to implement bubble sorting algorithm for sorting numbers [5] in descending order.
